Downward Price Rigidities and Inflationary Relative Demand Shocks

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Can relative demand shocks be inflationary?

Two sectors: goods and services

$$P pprox lpha P_{G} + (1 - lpha) P_{S}$$



Quantity of goods, Q_G

Quantity of services, Q_S

Can relative demand shocks be inflationary?

Effect of a relative demand shock on inflation:

$$\Delta \ln P \approx \alpha \ln \Delta P_G + (1 - \alpha) \ln \Delta P_S = 0$$



Can relative demand shocks be inflationary?

Effect of relative demand shock on inflation under <u>d</u>ownward <u>p</u>rice <u>r</u>igidity (DPR): $\Delta \ln P \approx \alpha \ln \Delta P_{G} + (1 - \alpha) \ln \Delta P_{S} > 0$



What we do in the paper and main results

- Present new empirical evidence on importance of DPR
 - ▶ Use data on individual CPI price quotes in the UK, 2017-2021
 - > Lack of downward adjustment of services prices, even during the pandemic

What we do in the paper and main results

- Present new empirical evidence on importance of DPR
 - ▶ Use data on individual CPI price quotes in the UK, 2017-2021
 - Lack of downward adjustment of services prices, even during the pandemic
- Illustrate mechanism in two-sector New Keynesian model with DPR
 - Relative demand shocks inflationary when prices are downwardly rigid
 - Inflationary relative demand shocks look like supply shocks in output-inflation space
 - ► Inflation can help 'grease the wheels of the product market' → calls for a more 'patient' monetary policy response
 - > DPR amplify other price pressures resulting from relative demand shocks

Sources of downward price rigidity

Theory and anecdotal evidence

- Trend inflation induces firms to raise price by more following positive shock than to lower price following negative shock (Ball and Mankiw, 1994)
- Many producers are reluctant to reduce prices (Bewley, 2023)
 - kinked demand curve
 - heterogeneneity in the price elasticity of demand across customers
 - fixed contracts and quasi-fixed demand

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Evidence of DPR in the US and EA

- Price declines for services in the US much less common than for goods (Nakamura and Steinsson, 2008)
- Majority of service price changes in the EA are price increases (Gautier et al., 2024)

Empirical evidence

Some evidence of DPR in person-to-person services in the U.K.



Source: U.K. Office for National Statistics and authors' calculations

Note: Person-to-person services are 'Out-patient health services', 'Transport services', 'Recreational and cultural services', 'Restaurants and hotels', 'Hairdressing salons and personal grooming', and 'Prostitution'.

Unprecedented drop in demand for person-to-person services...

Relative quantities by person-to-person service categories Quantity relative to total consumer spending. Index (2019Q4=100) 140 120 100 ndex (2019Q4=100) 80 60 ervices Out-patient services 40 Transport services Recreational and cultural services Restaurants and hotels 20 Hairdressing salons and personal grooming Prostitution 0 -2017 2018 2019 2020 2021 2022 2023

Source: U.K. Office for National Statistics and authors' calculations

...yet prices of these services rarely declined



Source: U.K. Office for National Statistics and authors' calculations

Note: Person-to-person services are 'Out-patient health services', 'Transport services', 'Recreational and cultural services', 'Restaurants and hotels', 'Hairdressing salons and personal grooming', and 'Prostitution'.

A two-sector New Keynesian model with downward price rigidity

Key elements of the model

• New Keynesian model with two sectors: goods and services (Cantelmo and Melina, 2023)

• Downward price ridigities in services sector (Kim and Ruge-Murcia, 2009)

Price adjustment cost function asymmetric for services

- Two sectors: goods and services, $j \in \{G, S\}$, with a continuum of varieties $\omega \in [0, 1]$
- The price adjustment cost function in sector *j* is given by:

$$\Gamma_{\omega,t}^{j} = \frac{\gamma_{j}}{\varsigma_{j}^{2}} \left\{ \exp\left[-\varsigma_{j} \left(\frac{P_{\omega,t}^{j} - P_{\omega,t-1}^{j}}{P_{\omega,t-1}^{j}} \right) \right] + \varsigma_{j} \left(\frac{P_{\omega,t}^{j} - P_{\omega,t-1}^{j}}{P_{\omega,t-1}^{j}} \right) - 1 \right\}$$
(1)

with $P_{\omega,t}^{j}$ price set by firm ω in sector j and $\gamma_{j} \geq 0$ degree of price stickiness

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- ς_j determines the degree of asymmetry of the price adjustment cost
- Assume asymmetric price adjustment costs for services, i.e. $\varsigma_S > 0$, and symmetric price adjustment costs for goods, i.e. $\varsigma_G \rightarrow 0$

Consumption bundle consists of goods and services

• Consumption of household $i \in [0, 1]$:

$$\mathcal{C}_{i,t} = \left[lpha_t^{rac{1}{ heta}} \mathcal{G}_{i,t}^{rac{ heta-1}{ heta}} + (1-lpha_t)^{rac{1}{ heta}} \, \mathcal{S}_{i,t}^{rac{ heta-1}{ heta}}
ight]^{rac{ heta}{ heta-1}}$$

with $G_{i,t}$ and $S_{i,t}$ consumption of goods and services, and $\theta \ge 1$ the elasticity of substitution between goods and services

- Relative demand shock:
 - Utility parameter α_t is time varying around a mean α
 - Relative demand shocks sole source of fluctuations
 - $\alpha_t > \alpha$ implies demand shifts away from services

(2)

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- Relative demand shock:
 - Utility parameter α_t is time varying around a mean α
 - Relative demand shocks sole source of fluctuations
 - $\alpha_t > \alpha$ implies demand shifts away from services
- We assume that CPI inflation and GDP are measured as fixed-weighted indices

(2)

Results

Main results from the model

- **1** Inflationary impact of relative demand shocks depends on degree of DPR
- ② Inflationary relative demand shocks look like supply shocks in output-inflation space
- Inflation 'greases the wheels of the product market'
- OPR amplify other price pressures resulting from relative demand shocks

Inflationary impact of relative demand shocks depends on degree of DPR

Relative demand shocks are inflationary under DPR



Note: Time period is a quarter. Shock is $(\alpha_t - 0.5) = 0.9 (\alpha_{t-1} - 0.5)$, where $\alpha_1 = 0.58$.

Inflationary relative demand shocks look like supply shocks in output-inflation space

Slope of empirical Phillips curve depends on degree of DPR



Note: Time period is a quarter. Shock is $(\alpha_t - 0.5) = 0.9 (\alpha_{t-1} - 0.5)$, where $\alpha_1 = 0.58$.

Inflation 'greases the wheels of the product market'

Greasing the wheels in the product rather than labor market

- Inflation greases the wheels of the labor market
 - Downward nominal wage rigidities (DNWR) cause distortion in relative price of labor and hamper decline in real wages
 - Inflation accelerates this decline, reducing allocative distortions of DNWR (Tobin, 1972; Akerlof et al., 1996)

Greasing the wheels in the product rather than labor market

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 - Downward nominal wage rigidities (DNWR) cause distortion in relative price of labor and hamper decline in real wages
 - Inflation accelerates this decline, reducing allocative distortions of DNWR (Tobin, 1972; Akerlof et al., 1996)
- Same intuition applies to product market
 - DPR slow down decline in relative price of services
 - Inflation helps accelerate this
 - Reduces allocative distortions resulting from shock
 - 'Patience' in monetary policy response to allow for adjustment of relative prices (Guerrieri et al., 2023)

'Patience' to allow for relative price adjustments



Note: Time period is a quarter. Service prices downwardly rigid with $\varsigma_S = 100$. Shock is $(\alpha_t - 0.5) = 0.9 (\alpha_{t-1} - 0.5)$, where $\alpha_1 = 0.58$.

DPR amplify other price pressures resulting from relative demand shocks

Introducing downward nominal wage rigidities

- DNWR can render Phillips curve non-linear and relative demand shocks inflationary (Guerrieri et al., 2021)
- Households face wage adjustment cost function similar to that faced by firms:

$$\Gamma_{i,t}^{w,j} = \frac{\gamma_j^w}{\left(\varsigma_j^w\right)^2} \left\{ \exp\left[-\varsigma_j^w \left(\frac{W_{i,t}^j}{W_{i,t-1}^j} - 1\right)\right] + \varsigma_j^w \left(\frac{W_{i,t}^j}{W_{i,t-1}^j} - 1\right) - 1 \right\}$$
(3)

with $W_{i,t}^j$ wage set by household i in sector j and $\gamma_i^w \ge 0$ degree of wage stickiness

- ς_i^w determines the degree of asymmetry of the wage adjustment cost
- Compare $\gamma_j^w = 0$ (flexible wages) against $\gamma_j^w = 50$ and $\varsigma_j^w = 1,000$ (DNWR)

DPR in conjunction with DNWR amplifies inflationary impact



Note: Time period is a quarter. Service prices downwardly rigid with $\varsigma_S = 100$. Shock is $(\alpha_t - 0.5) = 0.9 (\alpha_{t-1} - 0.5)$, where $\alpha_1 = 0.58$. Under DNWR, we set $\varsigma^w = 1000$.

Introducing labor reallocation costs

- Costly reallocation of labor hampers expansion of supply in booming sectors (Ferrante et al., 2023)
- Labor supply is CES aggregate of hours worked in service, $N_{i,t}^S$, and goods, $N_{i,t}^G$, sector:

$$\mathsf{V}_{i,t} = \left[\left(\chi^{\mathcal{S}}\right)^{-\frac{1}{\lambda}} \left(\mathsf{N}_{i,t}^{\mathcal{S}}\right)^{\frac{1+\lambda}{\lambda}} + \left(1-\chi^{\mathcal{S}}\right)^{-\frac{1}{\lambda}} \left(\mathsf{N}_{i,t}^{\mathcal{G}}\right)^{\frac{1+\lambda}{\lambda}} \right]^{\frac{\lambda}{\lambda+1}} \tag{4}$$

with $\chi^{\rm S}$ measuring the preference for labor supply in sector ${\cal S}$

- $\lambda > 0$ controls the intratemporal elasticity of substitution of labor across sectors
- Compare $\lambda = 1$ (baseline) against $\lambda = 0.5$ (greater real rigidities)

Relative demand shocks inflationary under real rigidites with DPR



Note: Time period is a quarter. Service prices downwardly rigid with $\varsigma_S = 100$. Shock is $(\alpha_t - 0.5) = 0.9 (\alpha_{t-1} - 0.5)$, where $\alpha_1 = 0.58$.

DPR and Real rigidities $\zeta_S = 0, \lambda = 1$ $\zeta_S = 1000, \lambda = 1$ \ldots $\zeta_S = 0, \lambda = 0.5$ \ldots $\zeta_S = 0, \lambda = 0.5$

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DPB and Beal rioidities

 $\zeta_S = 0, \lambda = 1$ $--- \zeta_S = 1000, \lambda = 1$ $\cdots \zeta_S = 0, \lambda = 0.5$ $--- \zeta_S = 1000, \lambda = 0.5$

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Introducing pent-up demand

- Pent-up demand can speed up adjustment and recovery from demand-driven recessions (Beraja and Wolf, 2021)
- Households derive utility from both current and past consumption on goods and services:

$$G_{i,t} = (1 - \delta_G) G_{i,t-1} + C_{i,t}^G$$
(5)

$$S_{i,t} = (1 - \delta_{S}) S_{i,t-1} + C_{i,t}^{S}$$
(6)

with $\delta_j \in [0, 1]$ measuring the rate at which the importance of past consumption for current utility depreciates

• Compare $\delta_j = 1$ (w/o pent-up demand) against $\delta_j = 0.5$ (w/ pent-up demand)

Pent-up demand accelerates inflationary cycle



Note: Time period is a quarter. Service prices downwardly rigid with $\varsigma_S = 100$. Shock is $(\alpha_t - 0.5) = 0.9 (\alpha_{t-1} - 0.5)$, where $\alpha_1 = 0.58$.

DPR and Pert-up deman

 $c_s = 1000, \delta = 1$

--- cs = 1000, 8 = 0.5

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Conclusion

Relative demand shocks can be inflationary in case of DPR

Upward pressures from demand shifts due to DPR

- Relative demand shocks affect nature of output-inflation trade-off faced by central bank when prices are downwardly rigid
- DPR induce distortion of allocation of real resources
- When relative demand shocks occur, inflation might alleviate the magnitude of these distortions (greases wheels)

Relative demand shocks not the only source of fluctuations

- Relative demand shocks important during COVID pandemic...
- ...but COVID pandemic exception—DPR likely less binding before 2020
- Important is real-time assessment of mixture of shocks at play

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Background slides



Note: Linex cost function specification from Kim and Ruge-Murcia (2009). Price adjustment costs for services potentially asymmetric, $\varsigma_S \ge 0$, while $\varsigma_G = 0$.

Baseline calibration

Parameter	Description	Value
α	Steady-state share of good G in consumption basket	0.5
χ^{s}	Steady-state share of hours worked in sector S	1/2
β	Discount factor	0.9925
ϵ	Elasticity of substitution between varieties ω	6
λ	Elasticity of substitution of labor across sectors	1
σ	Inverse of intertemporal elasticity of substitution	1
arphi	Inverse of Frisch elasticity of labor supply	1
γ_i	Degree of price stickiness in sector <i>j</i>	100
ρ_R	Interest rate smoothing parameter	0.8
ϕ_{π}	Monetary policy response to inflation	1.5
$ ho_{lpha}$	Persistence of relative demand shock	0.9
γ_i^w	Degree of wage stickiness in sector j	0
ς_i^w	Degree of wage adjustment cost asymmetry in sector j	1
η	Elasticity of substitution of labor varieties within sector j	21
θ	Elasticity of substitution between final goods	1
δ_i	Depreciation rate of good <i>j</i>	1